



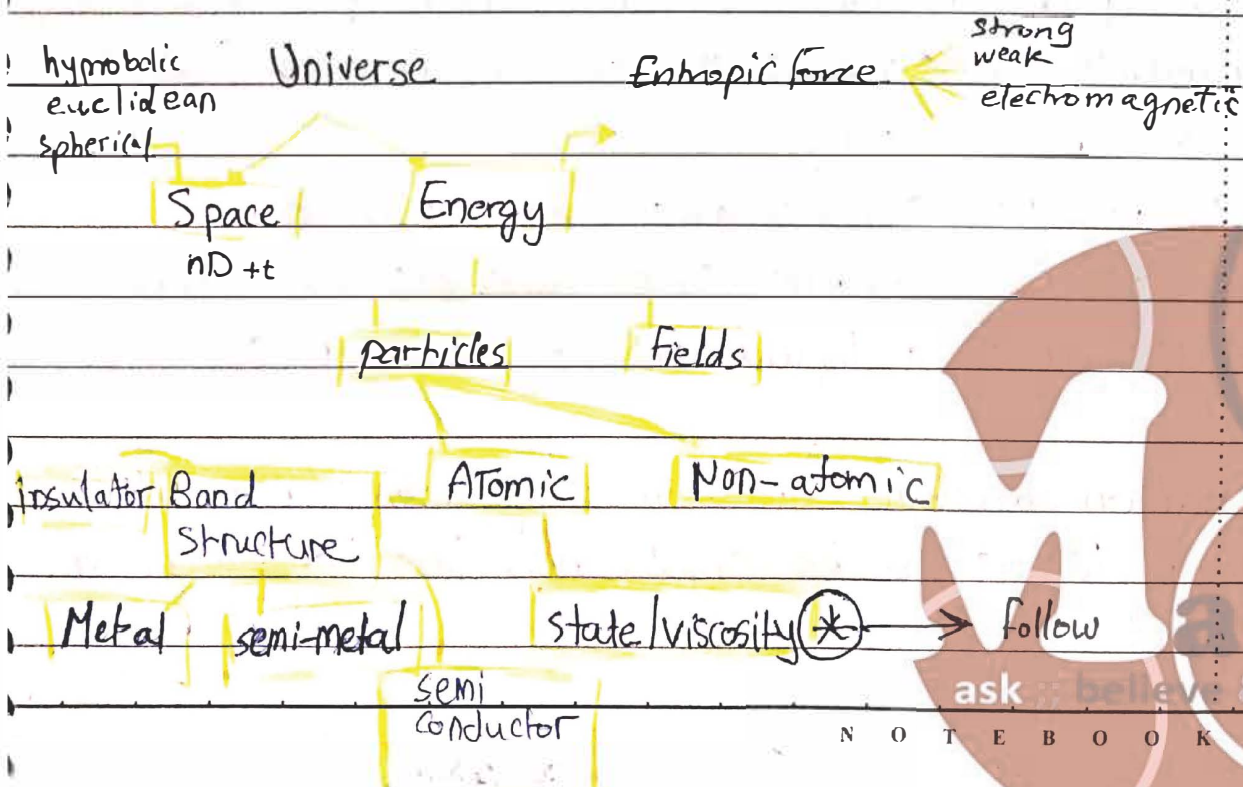
MATERIALS SCIENCE

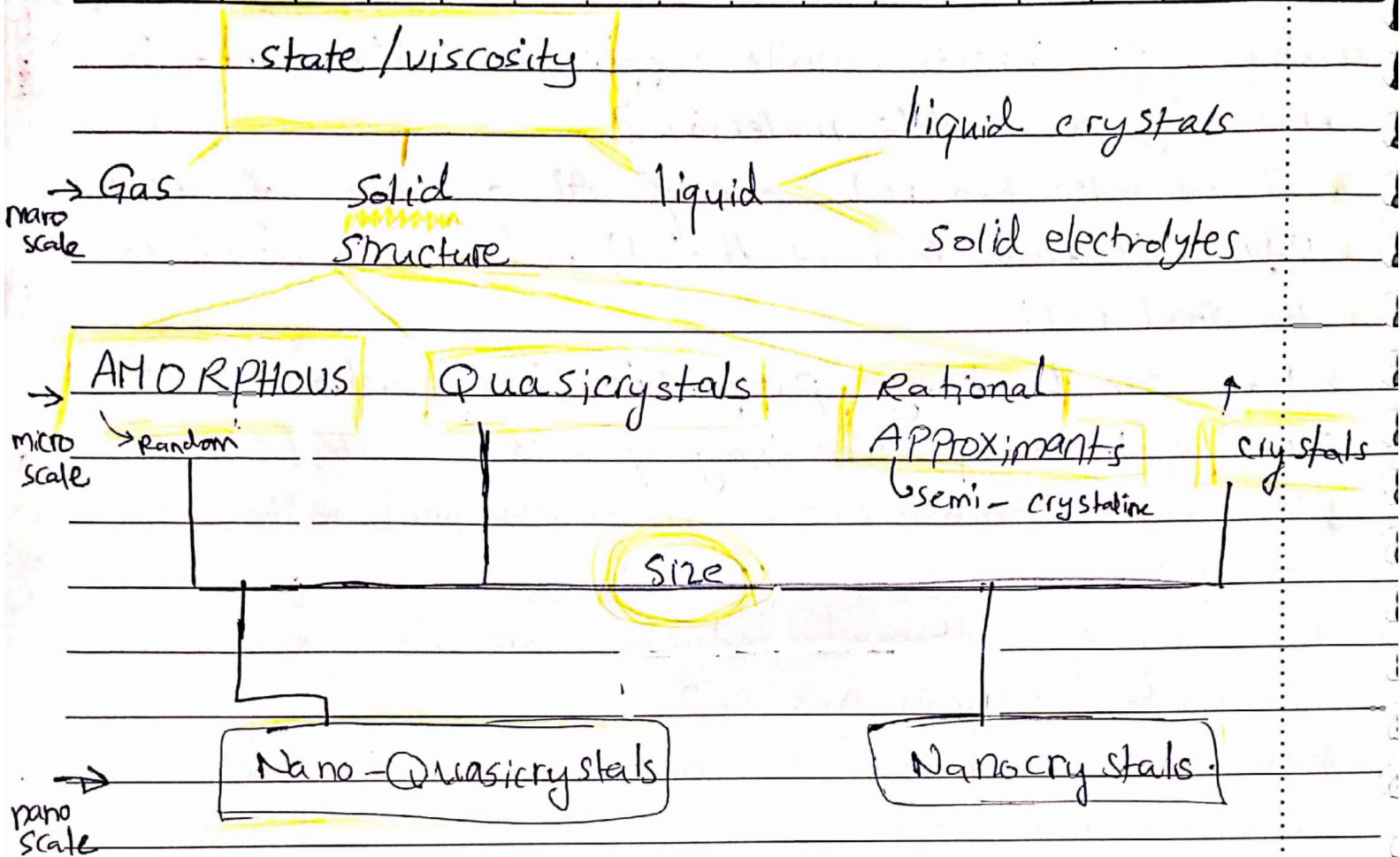
Dr. Deeb Abu Fara



What are the kind of question that a student would ask?

- * Why is glass brittle, while copper is ductile? What is mean by a ductile material?
- * If we take two rods, one of Al and one of steel.
- * Why is it easier to bend the Al rod as compared to the steel rod?
- * How can I change properties like hardness, without changing the composition (say of 0.8% C steel)?
- * Why is glass transparent, while any typical metal is opaque?
- * Usually, good thermal conductors are also good electrical conductors, why is this so?
- * Why does Iron corrode easily, while Al does not (or does not seem to)?
- * Why is wire of copper conducting, while piece of brick or wood non-conducting?





* based on state (phase) a given material can be Gas, Liquid or Solid (Based on thermodynamic variables). Intermediate / coexistent states are also possible (i.e. clear demarcations can get blurred).

(kinetic variables can also affect how a material behaves: e.g. at high rates some materials may behave as solids and as a liquid at low strain rates).

* based on structure (Arrangement of atoms / molecules / ions) materials can be crystalline, Quasicrystalline or Amorphous.

Intermediate states (say between crystalline and amorphous, i.e. partly crystalline) are also possible. Polymers are often partly crystalline.

* liquid crystals ("in some sense") are between liquids and crystals.

* Atoms $\equiv$ building units of the micro structure in all materials? **NO**

* NOT all, some materials $\Rightarrow$ building units $\equiv$ molecule like polymers.

* Solid Electrolytes $\equiv$ fast ion conductors
 $\equiv$ superionic conductors

are also between crystals and liquids.

These materials have a sublattice which is 'molten' and the ions in this sublattice are highly mobile

These materials are similar to liquid electrolytes in this sense.

* Based on Band structure, we can classify materials into Metals, Semi-metals, Semi-conductors and Insulators.

* Based on the size of the entity in question we can Nanocrystals, Nanoquasicrystals etc

One way of classification does not interfere with another.
* From a State perspective we could have a liquid, which is a metal from the band structure/conductivity perspective.

→ Hg is liquid metal at room temp.

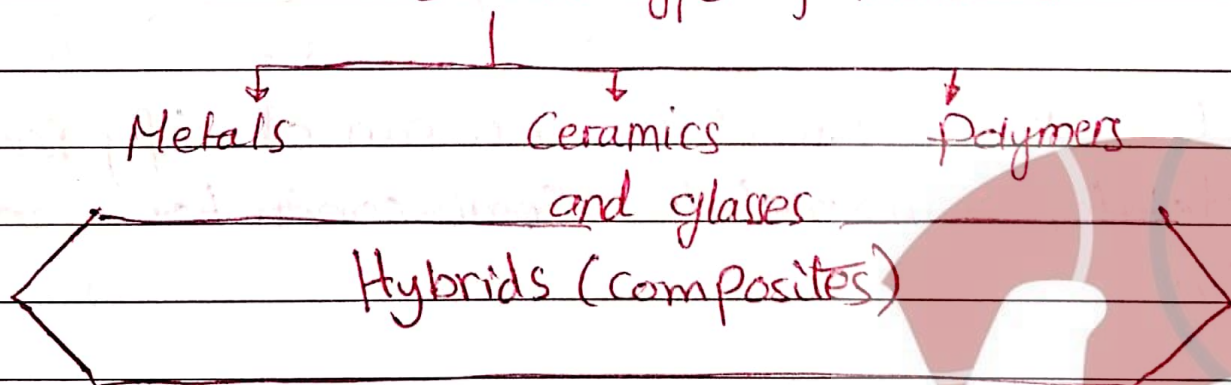
* Or we could have a metal (band structure viewpoint) which is amorphous (structural viewpoint (atomic ordering)).

→ Zr Ti Cu Ni Be bulk metallic glass.

* Or we could have a ferromagnetic material (from spontaneous spin alignment point of view - a physical property), which is amorphous (e.g.) (structural viewpoint).

→ amorphous Co-Au alloys are ferromagnetic.

Common type of materials.



* Let us consider the common types of Engineering Materials.

* These are Metals, ceramics, Polymers, and

various types of [Composites] of these.

* A composite is a combination of two or more material which gives a certain benefit to at least one property.

* Hybrid: is a superset of composites.

* The type of atomic entities (ion, molecule etc.) differ from one class to another, which in turn gives each class a broad 'flavour' of properties.

* composites $\equiv$ polymer alloys

* Metal $\equiv$ alloys

* Classical polymers are not strong $\uparrow$ mechanical point of view.

* polymer ($\downarrow$ P) (lightness) inforced material into the polymers, we get the mechanical strength

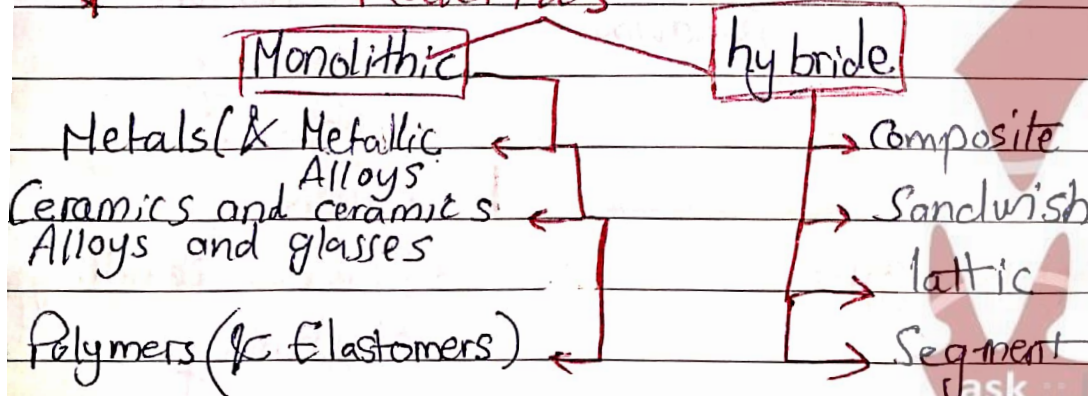
* Biomaterials:

Source of material $\begin{cases} \text{bio} \\ \text{natural} \\ \text{non-bio source} \end{cases}$

what is the application?

* bio material $\equiv$ bio degradable $\rightarrow$ environmental P.O.V. point of view

Materials



Composite: have two (or more) solid components, usually one is a matrix and other is a reinforcement 

Sandwich structure: have a material on the surface (one or more sides) of core material 

Lattice: typically a combination of material and space (e.g. metallic or ceramic foams, aerogels, etc)

Segmented: are divided in 1D, 2D, or 3D (may consist of one or more materials).

* Hybrids are designed to improve certain properties of monolithic materials.

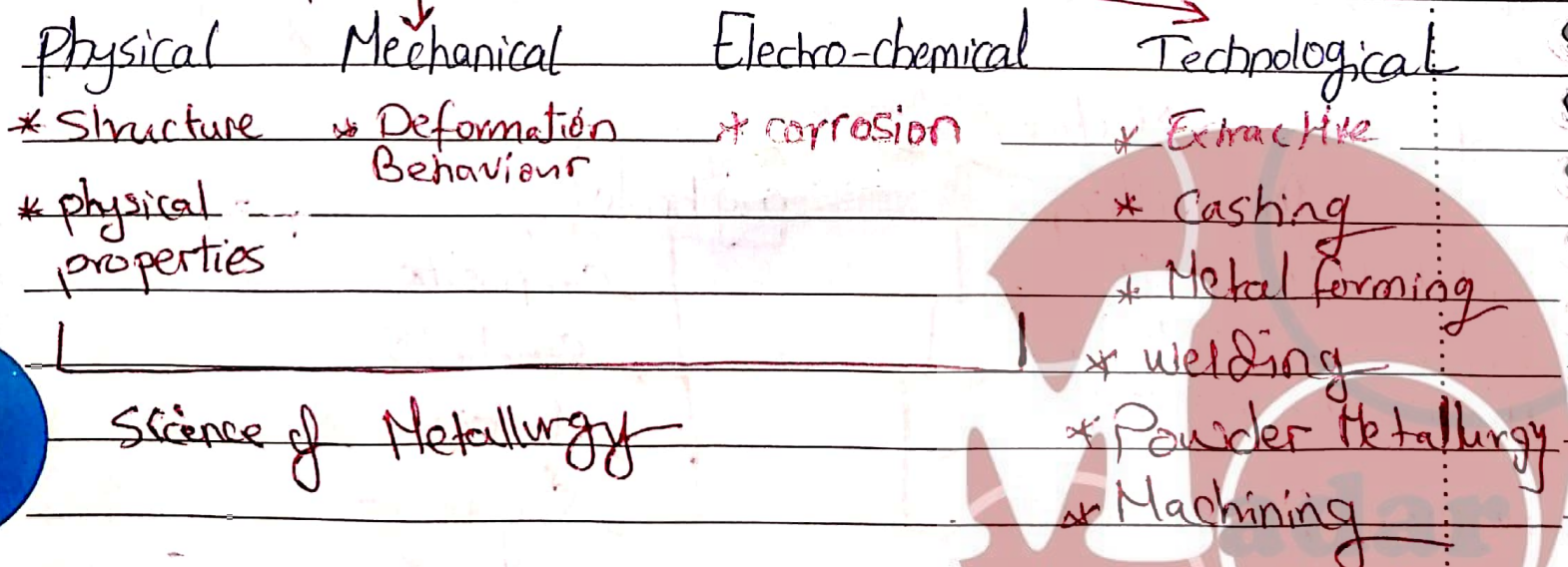
* **Classification of composites**:

* Based on the matrix: metal-matrix, ceramic matrix, polymer matrix

* Based on the morphology of the reinforcement: particle reinforced, fiber reinforced

*

Material Science and Engineering



chapter I and II

فَاكْلَهُمُ الدُّكُوْرَ وَ النِّكْلَامَ
اِي قَبْلَ مَا دَقَّقَ عَلَيْهِ الدُّكُوْرَ
١١

N O T E B O O K

ask ; receive & receive

Crystal Structure: $\rightarrow$ not the actual case

- * Atoms $\equiv$ hard spheres with well-defined radii
- * In this hard sphere model $\rightarrow$ shortest distance between two like atoms = one diameter  center,
- * crystalline structure $\equiv$ lattice of points at atom/sphere centers



unit cell $\rightarrow$ crystalline

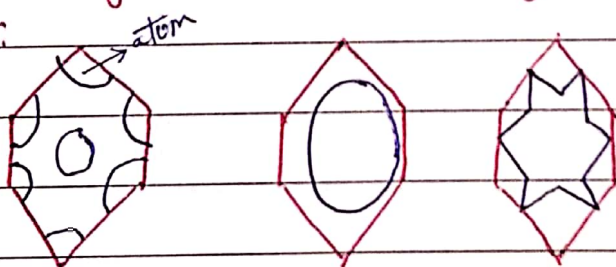
Unit cell: not talking about atoms

- * unit cell $\equiv$ smallest structural unit or building block
- * entire crystal $\equiv$ Repetition of the unit cell
- * How atoms distributed in the cell?!

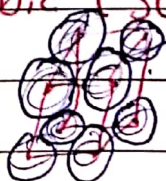
one side of cube



* One hexagonal unit cell might look like any of the following:



* The most common types of the unit cells are:
1- The simple cubic (SC)

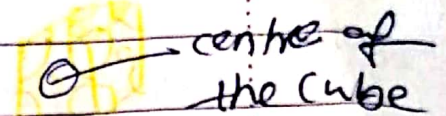


2. The face centered cubic (FCC)

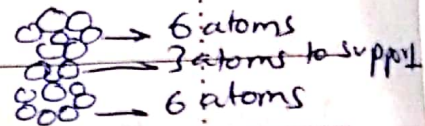
or cubic close packed (CCP)

3. The body centered cubic (BCC)

4. The hexagonal closed packed (HCP)



consist of 3 layers



Unit cell: smallest building unit

How the atom arrange in the unit cell?

Simple cubic Metal:

atoms are identical
most = spherical

Metals thus tend to

adopt relatively simple structure

The simplest = simple cube

Rare $\Rightarrow$ $\downarrow$ packing density

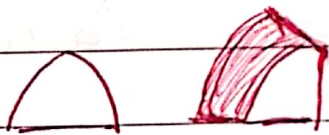
Only [Po] has this structure

Close-packed directions are cube edges



$\Rightarrow$ distance between another centers of atoms.

$\Rightarrow$ distance between another centers of atoms.

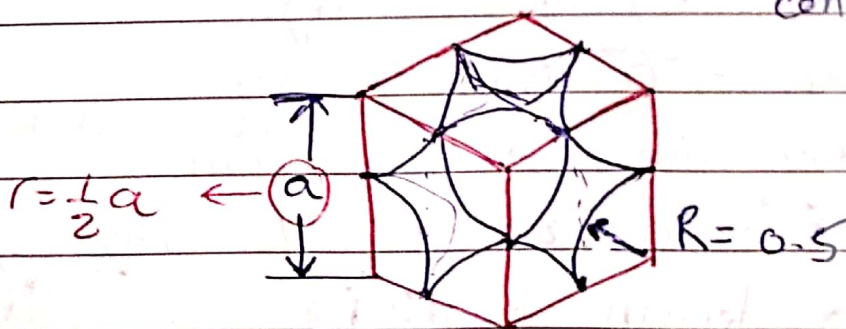


$\frac{1}{8}$ of volume

$\rightarrow$ half of the half of the half

Properties: each unit cell w.r.t atoms

contains $8 \times \frac{1}{8} = 1$ atom/unit



closed-packed directions

ask ; believe & recieve

→ the maximum number of atoms that touch this atom
 Coordination number = 6 atoms

Number of atoms per unit cell: = 8 corners $\times$ $1/8$
 = 1 atoms

In 3-D the packing efficiency is given unit cell by:

$$P.E = (\text{volume of spheres}) / (\text{volume of cell})$$

for a simple cubic lattice, this is:

$$\text{volume of sphere} = 1/8 \times 8 \times \frac{4}{3} \times \frac{22}{7} \times (0.5a)^3$$

$$\text{volume of cell} = (a)^3$$

$$\therefore P.E = \frac{88}{168} = 0.523$$

↑ P.E ↑ solid atoms

solid atoms of unit cell $\rightarrow 0.4$ not filled with atoms

* observe this unit cell of atoms qualitative plus

P.E is factors quantitative +

face centred cubic (FCC) or cubic close packed (CCP)

* Atoms touch each other along face diagonals

NOTE: All atoms are identical.

* Example: Al, Cu, Au, Pb, Ni, Pt, Ag

* coordination number = 12 atoms

how come?

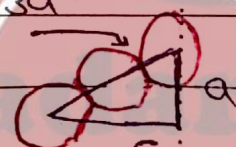
12 atoms adjust to each atom

* Number of atoms per unit cell:

$$= 6 \text{ face} \times 1/2 + 8 \text{ corners} \times 1/8 = 4$$

$\sqrt{3}a$

$$\Rightarrow \text{the cube edge length } a = 4R/\sqrt{3}$$



ask, believe & receive

Subject

1/2 atoms in 6 faces

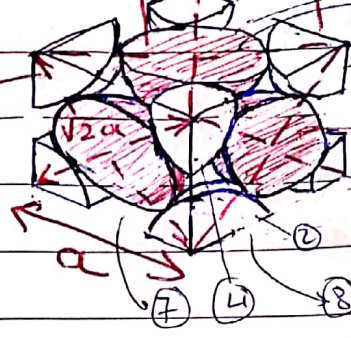
1/8 atoms in 8 corners

atom on back

diem of face = $4r$

coordination no. = 12

but 4 atoms remain to touch the atom directly from building block beside it



In 3-D the packing efficiency is given by:

$$PE = \frac{\text{Volume of spheres}}{\text{Volume of cell}}$$

For a face centered cubic lattice, this is:

$$\text{Volume of sphere} = 4 \times \frac{4}{3} \times \frac{22}{7} \times (\sqrt{2}a)^3$$

$$\text{Volume of cell} = (a)^3$$

$$\therefore PE = \frac{995.6}{1344} = 0.7405$$

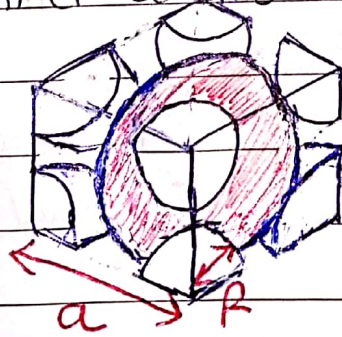
* Body centered Cubic Structure (BCC)

- The hard spheres touch one another along cube diagonal
- The coordination number, CN = 8.
- Number of atoms per unit cell, $n = 2$

1 center atom shared by no other cells: $1 \times 1 = 1$

8 corner atoms shared by eight cells: $8 \times \frac{1}{8} = 1$

Corner and center atoms are equivalent.



$$\text{Volume of sphere} = 2 \times \frac{4}{3} \times \frac{22}{7} \times \left(\frac{\sqrt{3}a}{4}\right)^3$$

$$\text{Volume of cell} = (a)^3$$

$$P.E = \frac{914.5}{1344} = 0.6805$$

2, 6, 8, 10, 12, 14, 16, 18, 20, 22, 24, 26, 28, 30, 32, 34, 36, 38, 40, 42, 44, 46, 48, 50, 52, 54, 56, 58, 60, 62, 64, 66, 68, 70, 72, 74, 76, 78, 80, 82, 84, 86, 88, 90, 92, 94, 96, 98, 100

the higher coordination number and packing efficiency mean that this lattice uses space more efficiently than simple cube.

Density Computations:

Since the entire crystal can be generated by the repetition of the unit cell, the density of a crystalline material -

$$\text{Density} = \rho = \frac{\text{Mass of Atoms in unit cell}}{\text{Total volume of unit cell}} = \frac{nA}{V_c N_A}$$

Where :

n = number of atoms/unit cell

A = atomic weight

V_c = volume of unit cell = a^3 for cubic

N_A = Avogadro's number = 6.023×10^{23} atoms/mol

Theoretical Density, ρ

Ex: Cr (BCC) : $A = 52.00 \text{ g/mol}$

$R = 0.125 \text{ nm}$

$n = 2$

$$a = \frac{4R}{\sqrt{3}} = 0.2887 \text{ nm}$$

atoms
unit cell

$$\rho = \frac{2 \times 52.00 \text{ g/mol}}{a^3 \times 6.023 \times 10^{23} \text{ atoms/mol}}$$

volume unit cell $a^3 \times 6.023 \times 10^{23}$ atoms/mol

$$\rho_{\text{theoretical}} = 7.18 \text{ g/cm}^3$$

$$\rho_{\text{actual}} = 7.19 \text{ g/cm}^3$$

Chapter III

Outline

► How do atoms arrange themselves to form solids?

► Types of solids.

1. Single crystal
2. Polycrystalline
3. Amorphous

► Crystal structures

→ Related to Metals

1. Simple cubic
2. Face-centered cubic
3. Hexagonal close-packed
4. Body-centered cubic

► Closed packed crystal structures

► Density computations

(البنية البلورية هي مجموعة من الذرات)

* Crystalline lattices slid: The lattice = array of the building block unit

book → different Pages → each page → many lines

each word contains different letters

different word

atoms

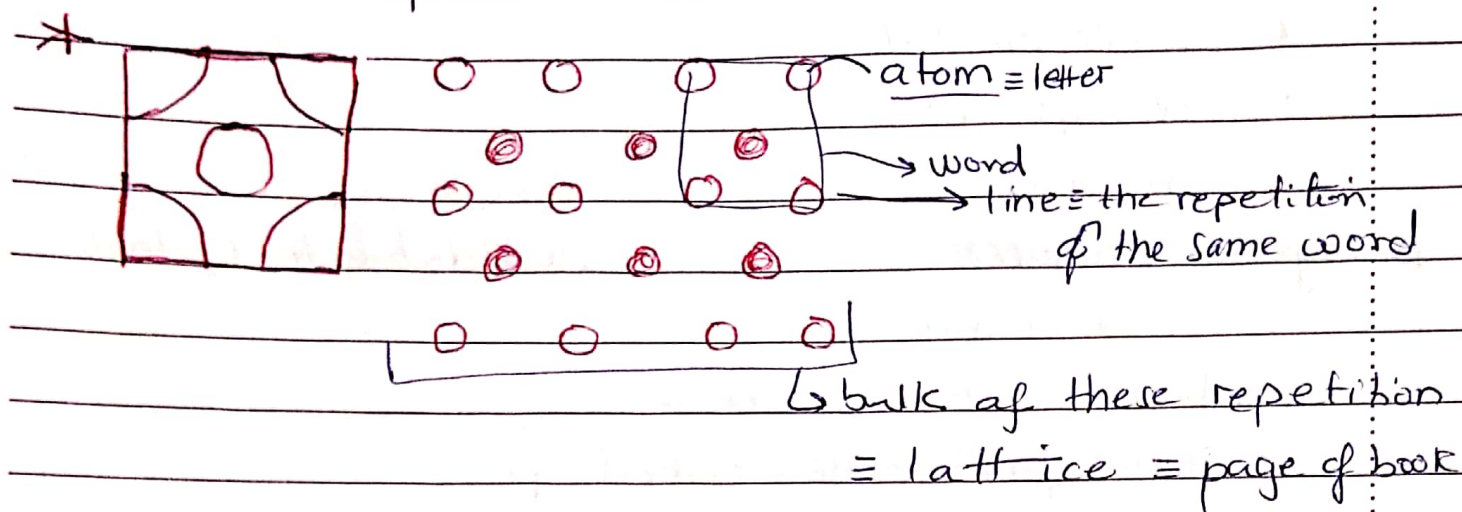
building block unit

smallest thing = is the atom → many atoms will create building block → many building blocks = chain → many chains will create a lattice → these lattices = structure crystalline

what is the anatomy of crystalline?

6th July

What is repeating? building blocks "word"
but the repetition $\equiv$ lattice



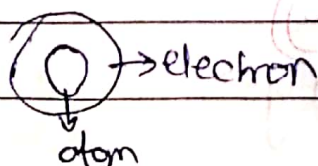
* Metallic crystal structures slide:

► Metals tend to be densely packed? why?

2 Cubic with a dimension of (10 cm) made of metal (let's say Iron) is heavier than similar cube made of wood with same dimension, why? (The packing) the atoms they are closely packed in metals compared with the atoms when they distribute within the wood structure.

4. Metallic bonding is not directional?

if an atom needs to share another atom in order to be stable that should not be done with only specific atom.



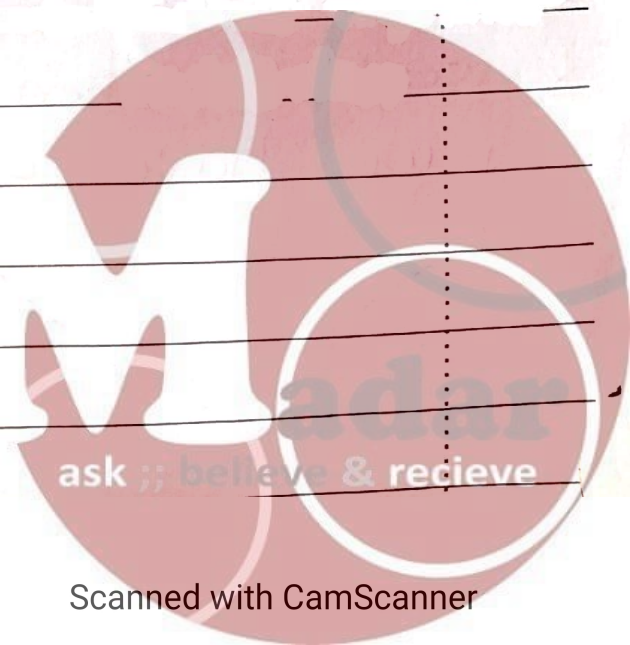
→ It selects proper e^- to be stable

So there is a lot of varieties for the atoms to be stable from the neighbour electron. this not directional

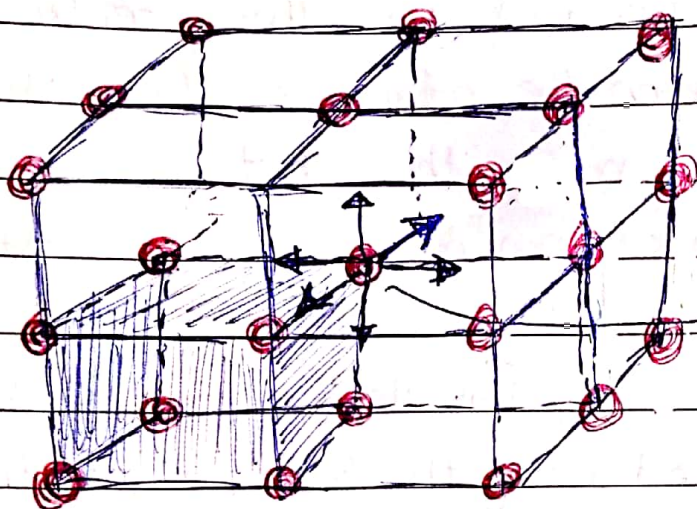
ف. ١٠٣

6th July

- * Nearest neighbor distances tend to be small in order to lower bond energy?!
- need minimum bonding energy, for metal, the atoms stand away from each other with a minimum bonding energy, ex: for simple cube is the distance between the centre and the other centre without any voidage or space between the atoms, so the distance is $\sqrt{3}r$ or $2r$, other crystalline more than that
- * The atomic bonding in metals is non-directional $\Rightarrow$ no restriction on numbers or positions of nearest neighbour atoms
- atom can at single moment be using this electron to be stable, but in another moment it will not using the same e^- from the other atom.



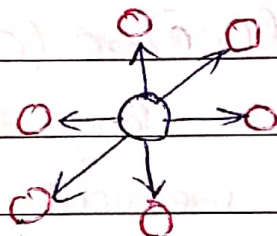
- * Coordination number = 6 atoms for simple cube?
- BUT Why?



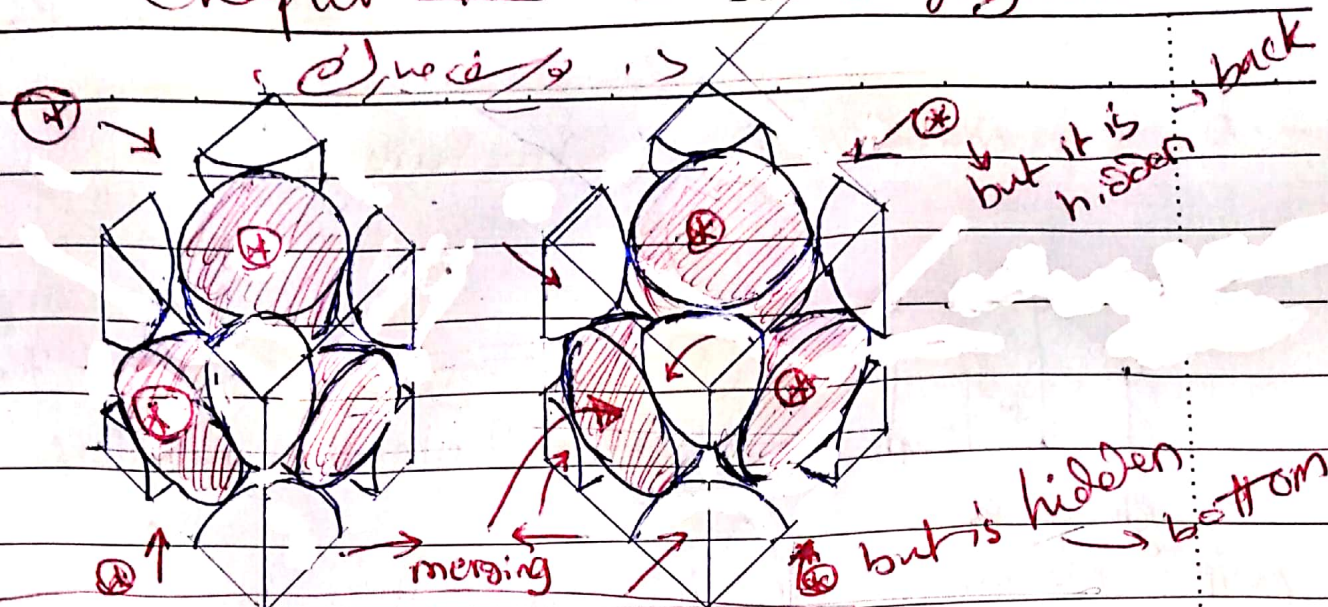
- * Big Cube owns 8 small cubes

- * Coordination?
- Select atom in the middle

This atom will be indirect contacts with 6 atoms



- * coordination number faced centered cube
- * we have two building blocks.



AMROXIPATE DRAWING

we want to merge these building blocks together just to how many atoms touch the red atom.

✓ Atoms in the edges (4)

✓ Atoms behind (4) atom from first block
(4) atom from second block

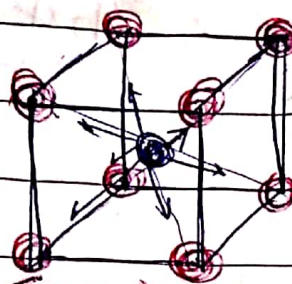
because it is one atom but each half belong to different building block.

$$= 12$$

* P.E (FCC): (12) atoms exist → building block
How many atoms we have within the building block

no is for?

Body centered cubic structure:



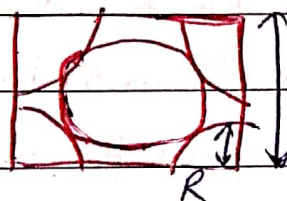
(8) $\rightarrow$ coordination $\rightarrow$ direct touch atom
 $\rightarrow$ 2 atoms equivalent

NOTE: No longer $2r$ between centers.

unlike simple cube.

(Ex) From Periodic Table: Cr, W, Fe(α),
 Tantalum, Molybdenum.

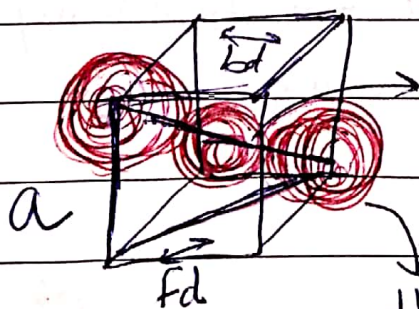
(*) Volume of building block



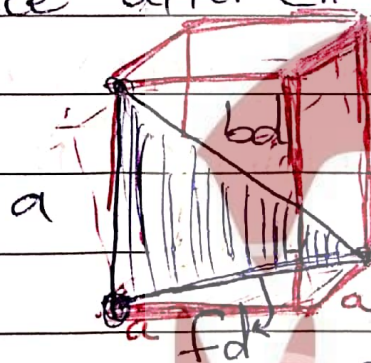
* Challenge: we don't know distance
 It's a^3 , but no, we need
 (a in term of r) or vice versa



* we do pythagoras twice after choosing diagonal

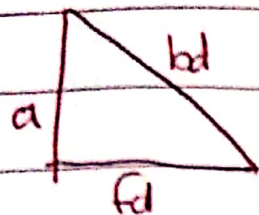


$2r$



three atoms are in direct contact

ask content receive



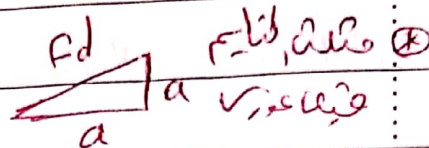
(a), (b), (c) ⊕

It is equal (4r)

⊗ → 3 atoms in direct contact

$$(bd)^2 = a^2 + fd^2 \Rightarrow (bd)^2 = a^2 + 2a^2$$

we want ⊗
to calculate it
in terms of a



$$\text{So; } bd = \sqrt{3}a = 4r$$

$$r = \frac{\sqrt{3}a}{4}$$

$$\text{Volume of sphere} = 2 \times \frac{4}{3} \times \frac{\pi}{7} \times \left(\frac{\sqrt{3}a}{4} \right)^3$$

$$\text{Volume of cell} = (a)^3$$

$$\therefore PE = \frac{914.5}{1344} = 0.6805$$

↓
If you put it
in term of (a)

↓
you must put
in term of a, too
↓
to cancel each
other

* Forth Structure :

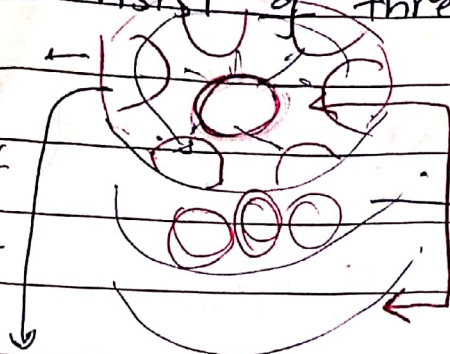
(Hexagonal close - packed crystal structure)

Example: Cd, Mg, Zn, Ti. have this
crystal structure

↓ consist of three layers.

every
edges.

Contact
each
other

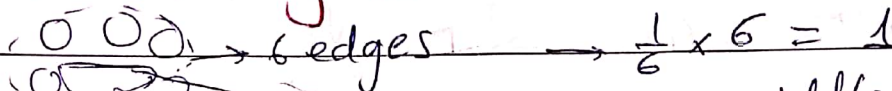


similarity

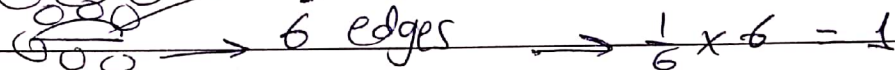
→ three atoms → Complete atoms
in the building block because
they are hidden

In direct contact with the middle one

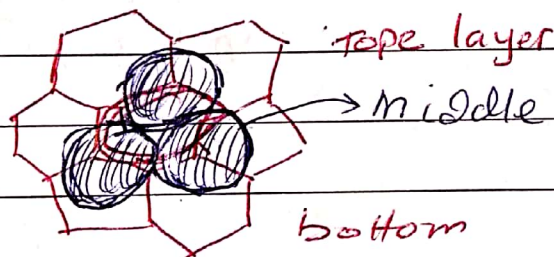
How many atoms within the building block?



$\frac{1}{2} + \frac{1}{2} = 1$ + 3 in middle layer

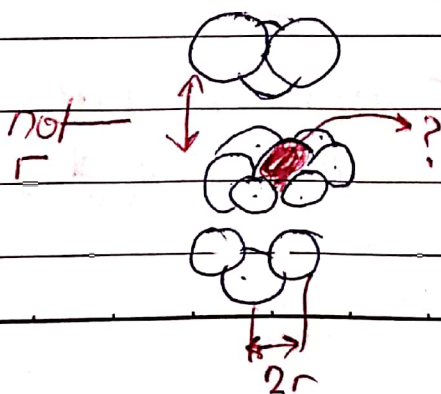


6 atoms total equivalent in hexagonal
structure, which is the max:



Coordination:

12

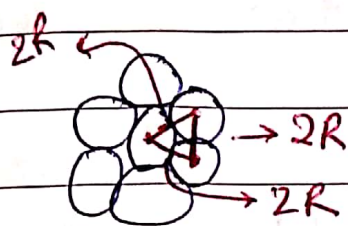


→ different
building
block

two dimension

between one atom and the other one = a → dimension 1
 between the layer and another one = c → dimension 2

▷ Radius → value of a → value of c from (Pahby)
 → Area of hexagon & height



6 equal triangles with equal edges
 → Area of one triangle $\times 6$ = Area of hexagonal

* Density computations:

($\frac{\text{mass}}{\text{volume}}$)

→ $\frac{\text{mass}}{\text{volume}}$

Atomic weight

Density

crystalline structure

→ Atomic Radius

To calculate the density assume you have one building unit

(Mass of this volume / volume itself) (kg/m^3)

Subject

CHP III

Date

8th July

No.

Dr. Yousef

theoretical: الحسابية

In order to calculate volume, you have to the volume of building block unit if it is a cube $\Rightarrow (a^3)$

body centered cube not the same as simple cube

$\hookrightarrow$ we should know the relation between a and r in all cases

ex: Cr $\rightarrow$ actual from table 7.19 BCC

bulk density

Densities of Materials classes:

Polymers are (light) unlike metals

$\hookrightarrow$ Covalent bond $\downarrow$ P.E $\downarrow$

$\hookrightarrow$ metallic bonds $\downarrow$ P.E $\uparrow$

To enhance mechanical properties of Polymers:

Metal + (Graphite / Ceramics / semicond) + polymers

Composites

ask ; believe & recieve

Variation of densities between the light metal and the heavier ones :

		Density	Atomic Radius
Al	FCC	2.71	0.143
Copper	FCC	8.94	0.128

↓ less atomic Radius

↓ R the more atoms you can add to the cubic structure hence you can increase the density

* Crystals as Building blocks (slide)

Why do we prefer to use one [single crystal structure] because this kind of structure is very strong

diamond is very stronger (not metal) but its properties like single crystal structure play great role.

* Polycrystalline materials:

↓
Grain boundary



boundary = weak

* random

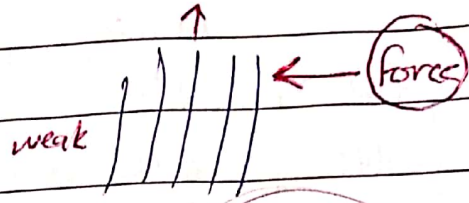
→ random → not specific direction

(internal)

* orientation

→ most of them in the same direction

① apply force in specific direction



* this shape stronger in longitudinal

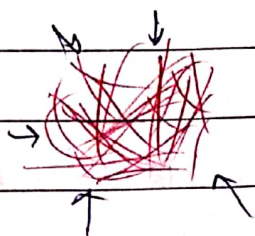
direction than another (pic)

Resistance

(3) ~ ~ ~ ~ ~

② Properties not uniform

Prefer



→ strong wherever we apply force

* orientation

→ melting sample → cooling under

controlled cooling

→ isothermal cooling

میز پر



item fabrication



تین



orientation

← اس کے ساتھ ساتھ

کے لئے

*

↑ grain boundaries

→ Small crystals

→ weak crystal

* Isotropic structure

have resistant in

* Random distribution

all direction

* ∞ grain boundaries

* similar properties in all direction

random $\equiv$ isotropic properties $\equiv$ similar resistances

* atoms directly connected stronger than atoms between them separation

→ Isotropic $\rightarrow$ low cost

need force to separate

+ Carbon graphite

↓
not the same properties

↓
polymorphism of carbon

↓
completely different structure

* Crystallographic Points, Directions and Plans

* linear density: sth [↑] divided by a distance

* planer: divided by an area

density = $\frac{\text{Volume}}{\text{Volume}}$ (volumetric)

density = $\frac{\text{density}}{\text{distance}}$ (linear)

density = $\frac{\text{Area}}{\text{Area}}$ (planer)

* points: Atoms $\rightarrow$ building $\rightarrow$ وحدة $\rightarrow$ unit

* vector: origin $\sim$ $\vec{r}$

* plane $\rightarrow$ rule $\rightarrow$ $\vec{r}$ $\rightarrow$ $\vec{r}$

(length, width, height)

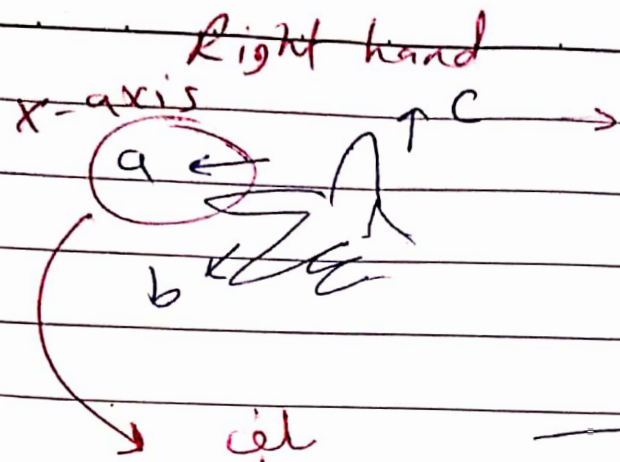
cubical

rectangular $\rightarrow$ $\frac{1}{a}, \frac{1}{b}, \frac{1}{c}$

hexagonal

Symmetry $\rightarrow$ faces

* sign $\equiv$ bar $\rightarrow$ Right hand rule



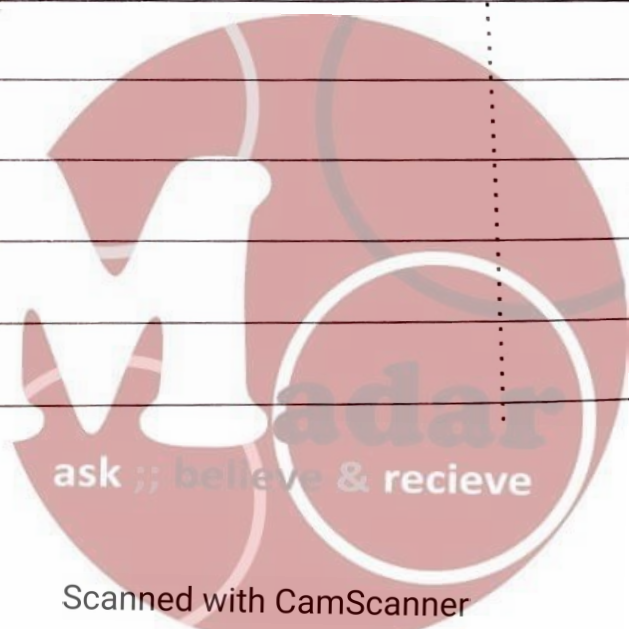
Direction does not change from one unit building block

Counter clock wise of y-axis
c د، ی، ا، ب

right hand rule
bar z lie, up
د، ی، ا، ب

geometry → 6 faces → without regardless
the angles 90 }
د، ی، ا، ب } فاقه
80

Parallel faces د، ی، ا، ب



Date: 13th - 2020 - July

Type of Imperfections:

- Point
- line
- Area
- Bulk

13 جويلية
أول
في 4 جويلية

Point:

Vacancy

self-interstitials

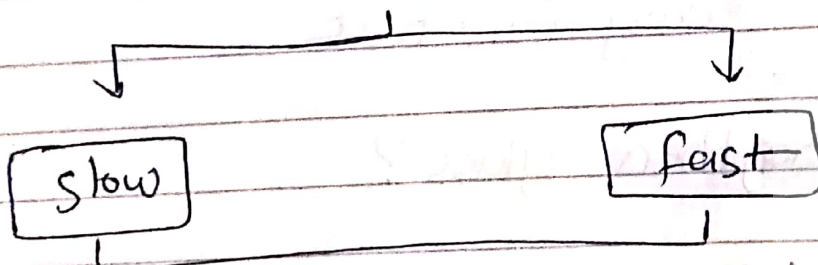
Stress comp

* extra solidification

* Mechanical stress $\equiv$ residual stress $\equiv$
 $\Rightarrow$ dislocation, fracture

dis: molten material

say it is a molten (AL)

 $\Rightarrow$ mold + cooling

why; slow cooling is better?

mechanical strength $\uparrow$ $\rightarrow$ No

Thermal
Residual stress or
internal stress.

why is this?

slow; freezing, solidification $\rightarrow$ There is no heat transfer or heat to do dissipation.
or there is not any entropy to dissipate

$\uparrow$ internal stress $\equiv$ structure becomes weaker

EX: molding: $\rightarrow$ $\text{Pb}, \text{Cu}, \text{Al}, \text{Fe}$

* we can apply fast cooling in case we aim to specific properties

brittle $\uparrow$ energy stress.

$\downarrow$
That is why glass easy to crack

* to strengthen glass?

نصف الطاقة (80) $\rightarrow$ قبل
internal energy is $\rightarrow$ قبل
internal stress

$\rightarrow$ dissipated $\rightarrow$ heat transfer
 $\downarrow$
solidification

قوة خارجية = قوة خارجية
external force
قوة خارجية

* imperfection → strength → change properties internally

* imperfection → modification → under controlled condition

١٢٠ Carbon steel : strong

* imperfection → point, line, area, bulk
dislocation

⊕ solid solution → alloys

compatibility, with stronger mechanical strength

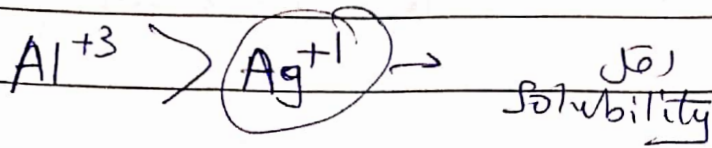
↓
metal dissolution

Internal stress
Stress

→ internal stress →

15

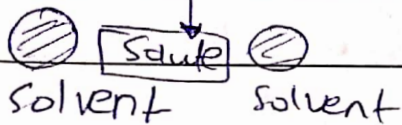
+ ↑ valency (Al^{+3}) → ↑ solubility



* steel → non-homogeneous

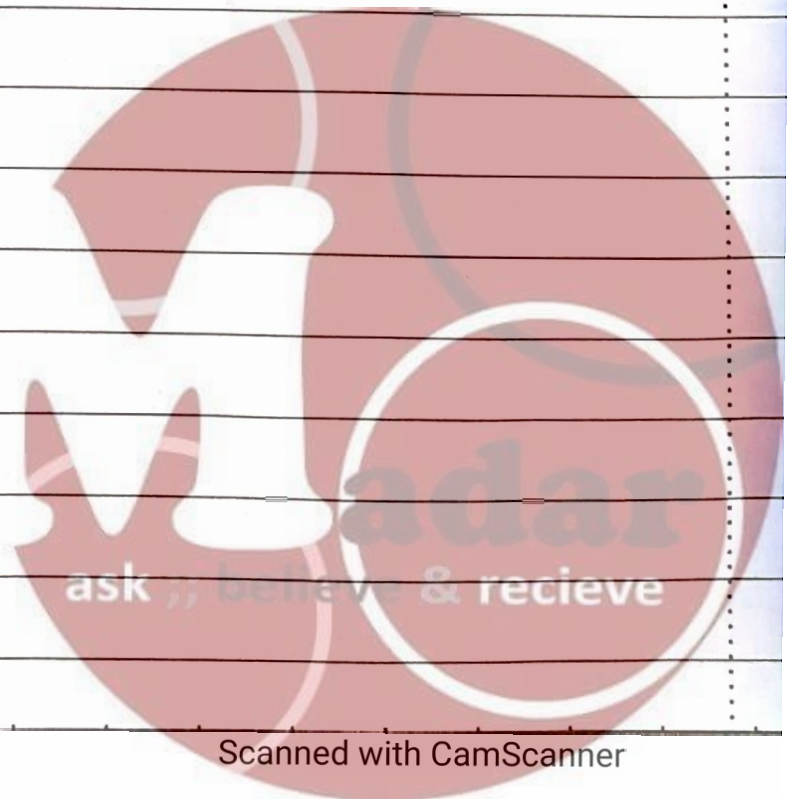
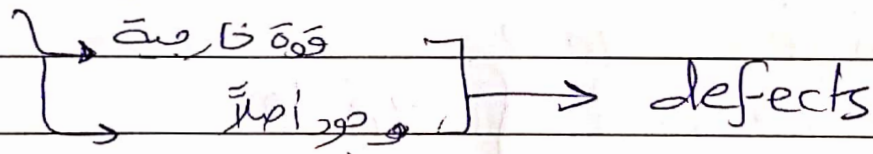
* Substitutional solid solution

solvent Cu, Zn



+ Dislocations: linear defects

imperfection → dislocation



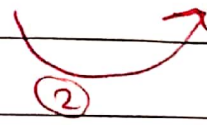
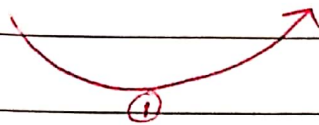
elastic : property in which enable the material to get back to its original state when load is removed

(slid no. 3)

1. Initial

2. small load

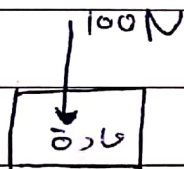
3. Unload



① and ② same behaviour $\equiv$ linear elastic

* deformation has range $\swarrow$ elastic $\searrow$ plastic

* Stress : represents the load apply to the material
+ stress also pressure



→ Doesnot give any information about what the kind of effect is going to happen



more usefull term to know what happen to

material $\equiv$ $\boxed{N/A}$

load / A

Force $\rightarrow$ applied to material ①

$\rightarrow$ applied to material ②



(Stress) F/A

$(A) \downarrow$
Area

How does (A) affect the material?

perpendicular



tensile stress

Parallel



shear stress

* Torsion → rotating shaft

Shear → Area is πr^2 $\equiv$ Torque

* simple tension:



$$\sigma = \frac{F}{A}$$

(A_0) → instant Area but for → dynamic analysis
static we use original Area.

∴ instant Area → each time has a cross section.

→ 2.1.8, 2.1.9, 2.1.10

* Compression:

$$\sigma = -\frac{F}{A_0}$$

to show that number indicates
compression not elongation

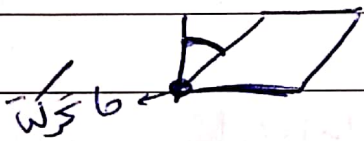
App for Compression

ask :: believe & recieve

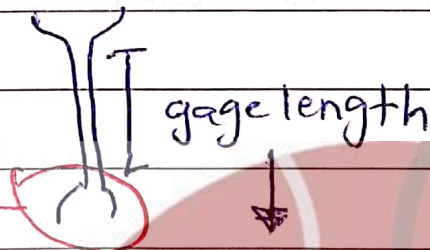
- * Bi-axial tension $\leftarrow \begin{array}{c} \downarrow \\ \text{O} \end{array} \rightarrow$
- * hydrostatic (compression) $\begin{array}{c} \uparrow \\ \text{O} \end{array}$

20th - July:

- * Strain: deformation in the material
- * difference in force $\equiv$ tension strain
- * $\epsilon_L = \frac{\Delta L}{L_0}$ dimension decrease
direction of deformation
- * Shear strain $\equiv$ slippage in the shape



- * Tensile stress (test)? ASTM standards

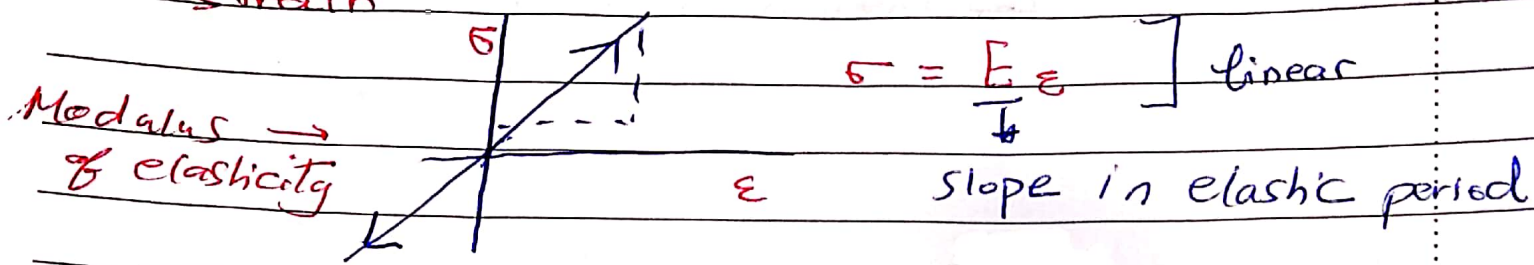


- * why is this? we apply force in gauge length to be held by the with small range clasp of the machine

[bone]

- * why is it shaped like that? because if we apply force, we can avoid [end error] & receive clasp

* Slid (no. 11) : the relation between stress and strain



* Slid (no. 12) :

tensile strain and lateral strain

$$\nu = - \frac{\epsilon_{\text{lateral}}}{\epsilon} \rightarrow - \frac{\delta L}{L_0}$$

Poisson's ratio

* the relation between tensile strain and lateral strain is an indication to:

- ① If the material $\rightarrow$ isotropic
 $\rightarrow$ anisotropic
- ② molecules arrangement



* equilibrium interatomic separation r_0

$\rightarrow$ on an atomic scale scale, macroscopic elastic strain is showed

ask ; believe & recieve

as small changes in the interatomic spacing and the stretching of interatomic bonds

∴ magnitude of modulus of elasticity is a measure of the resistance to separation of adjacent atoms

Values of the modulus of elasticity for ceramic are about the same as for metals.

for polymers, they are lower

(slid no. 14):

$$\text{shear stress } (\tau) = G (\gamma) \text{ shear strain}$$

Relationship between stress and shear strain for elastic deformation

$$P = -K \frac{\Delta V}{V_0} \rightarrow \text{volume strain}$$

$$G = \frac{E}{2(1+\nu)} \rightarrow \text{elastic modulus}$$

Shear modulus

$$\text{bulk modulus } K = \frac{E}{3(1-2\nu)} \rightarrow \text{elastic modulus}$$

* Bulk modulus K :
a modulus based on volume rather ^{than an} angle or
a deflection

* (slide no 16) : modulus of stress & strain $\sigma = \frac{F}{A}$ $\epsilon = \frac{\Delta L}{L}$
Dimensionless

Hooke's law + definition of stress:

$$\Rightarrow \delta = \frac{P L_0}{A_0 E}$$

δ → deflection / extension
 P → force
 L_0 → original length
 A_0 → cross-sectional area
 E → elastic modulus

22th July

* Yield strength: σ_y : at which the material starts to
yield deformation

Load $\downarrow$ $\rightarrow$ deformation = permanent

Design = NOT TO REACH

* a Material $\rightarrow$ testing $\rightarrow$ knowing yield $\rightarrow$ Application

* Application $\equiv$ Safety margin

* Mechanical structure, we suppose to apply load
on, below the strength.

* (slide no. 19) Yield strength: comparison

* yield strength depends on the kind of material

* (treatment) $\rightarrow$ yield strength (yield strength)

$\rightarrow$ Steel annealed Yield strength $\rightarrow$ Steel cold drawn

* Yield strength for metals $>$ yield strength of polymers in general

* annealed $\equiv$ معالجته

* What is annealing?

we put the material on oven for several days with about $(80-100)^{\circ}\text{C}$

$\downarrow$ so

✓ Releasing for residual stress or thermal stress.

✓ giving energy to structure $\rightarrow$ rearrangement to atoms

* releasing residual stress $\leftarrow$ $\text{تحرير الإجهاد المتبقي}$

* stress $\rightarrow$ إجهاد stress $\rightarrow$ إجهاد (in general)

* quenched and tempered $\equiv$ special case

* very small crystalline and very brittle $\equiv$ $\uparrow\uparrow\uparrow$ tensile strength but not ductile

ask :: believe & recieve

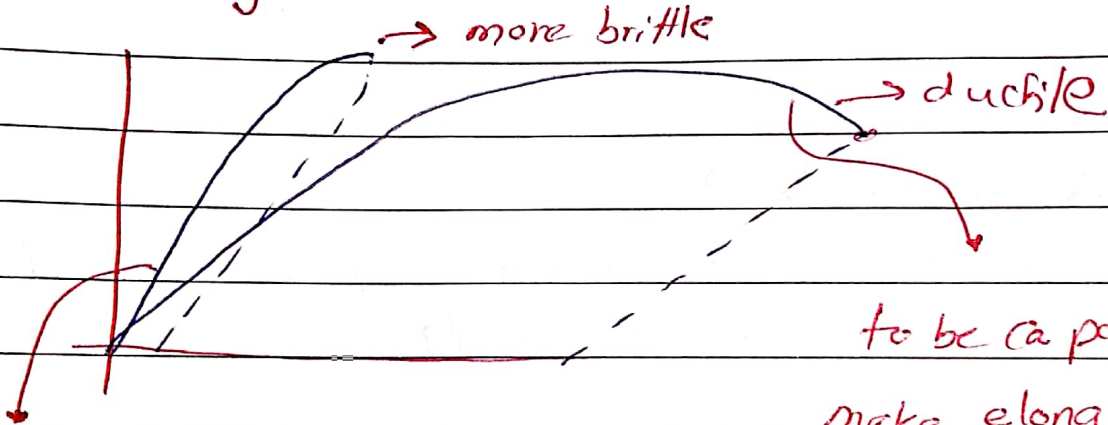
↑ brittleness ↑ strength ↓ ductility

- * maximum stress > yield & noticeable necking
- * maximum tensile strength → differ from material to another

fabrication or processing condition

* Ductility (slide no. 22)

tensile



to be capable to make elongation before reaching breakage

تسليق القوة
الشدنية

* Depend on the required App, we consider any of each ductile or brittle is better

Toughness:

Steel & Al



Same Volume



Affecting of a force

المتانة
أي مادة تتحمل
قوة الشد tensile
القوة الشدنية
ويعبر عنها
الelongation
من دون فاصل

ask ; believe & recieve

Toughness (slide no. 23)

* $\uparrow$ brittleness $\uparrow$ Tensile strength $\downarrow\downarrow\downarrow$ toughness
why

* How much the material is toughness depends on how much it could store energy before breakage

$\equiv$ the ability to absorb energy without breaking

* Rubber toughness $\gg$ steel toughness

* Steel $\equiv$ deformation $\equiv$ permanent change

* rubber $\equiv$ deformation $\equiv$ not permanent change

* Ceramic $<$ rubber, and glass too.

$\downarrow$
less tough

up to $\downarrow$

energy

$\downarrow$
breakage

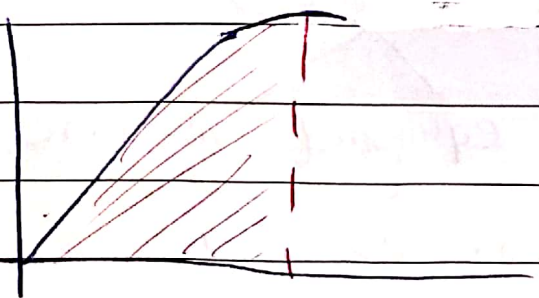
$\uparrow$ ductile

$\uparrow$ toughness

$\uparrow$ brittle

$\downarrow$ toughness

Resilience, Ability store energy without deformation



* Hardness: (surface property) $\sigma \rightarrow \sigma \downarrow$ deformation

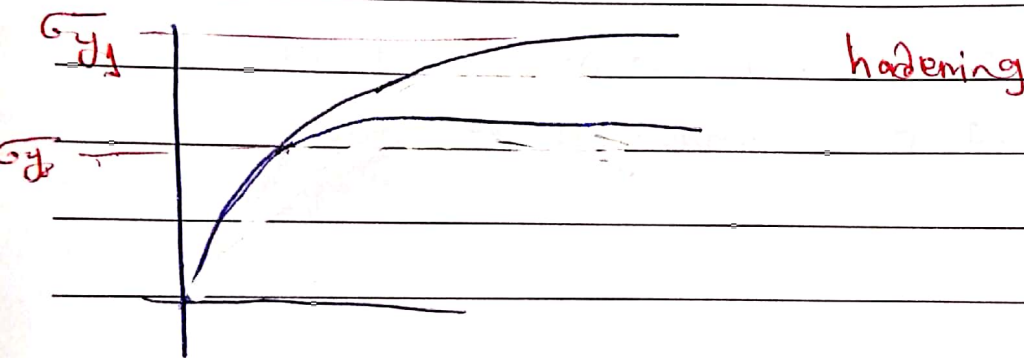
* Tensile Strength $\uparrow \uparrow$

Surface scratch $\checkmark$

not hard but it is strong

* Differences of hardness = explanation: Structure or how atoms arrangement

* Hardening (slide no. 30):



heat treatment $\equiv \uparrow \uparrow$ Tensile strength

Ductility $\downarrow \downarrow \rightarrow \sigma \downarrow \rightarrow \sigma \downarrow$

* how can I modify mechanical property? Hardness $\equiv$ heat treatment

* Strong material $\rightarrow$ surface hardness $\uparrow$

Crushing
Rocks
Shaft

force $\rightarrow$

equipment machine

ask: believe & receive

N O T E B O O K

* material $\rightarrow$ deformation $\rightarrow$ σ & ϵ
working limits $\rightarrow$ σ & ϵ
working stresses.

$\downarrow$

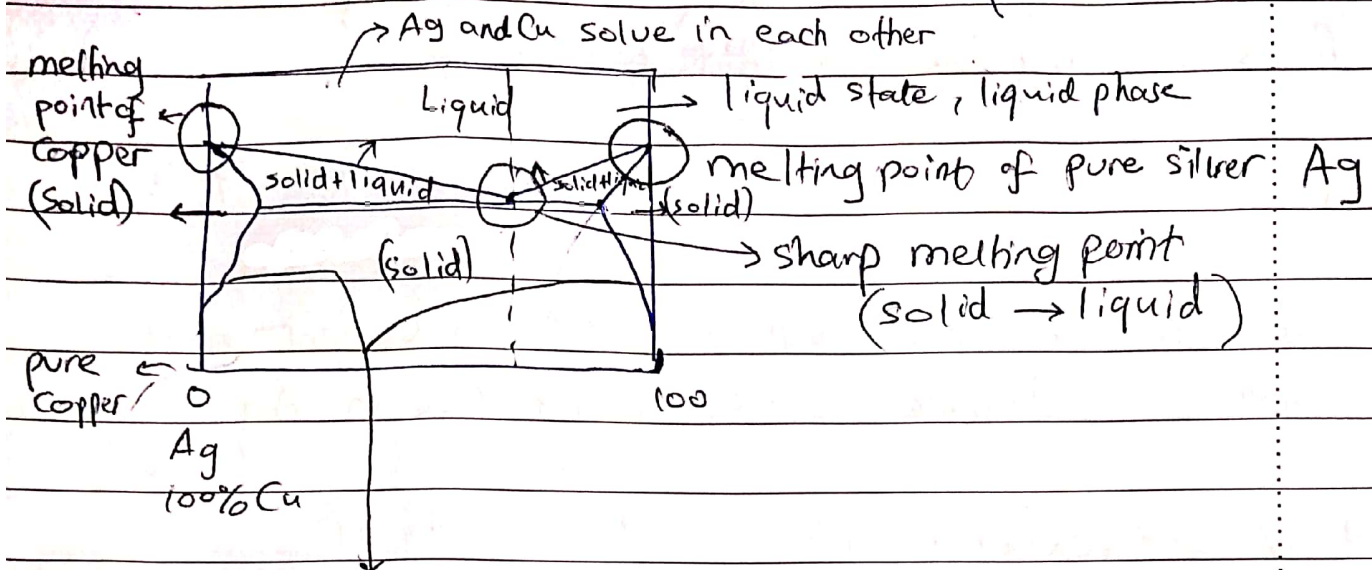
allowable stress $> 1 \rightarrow$ safety factor



Ch 7, slides 33 →

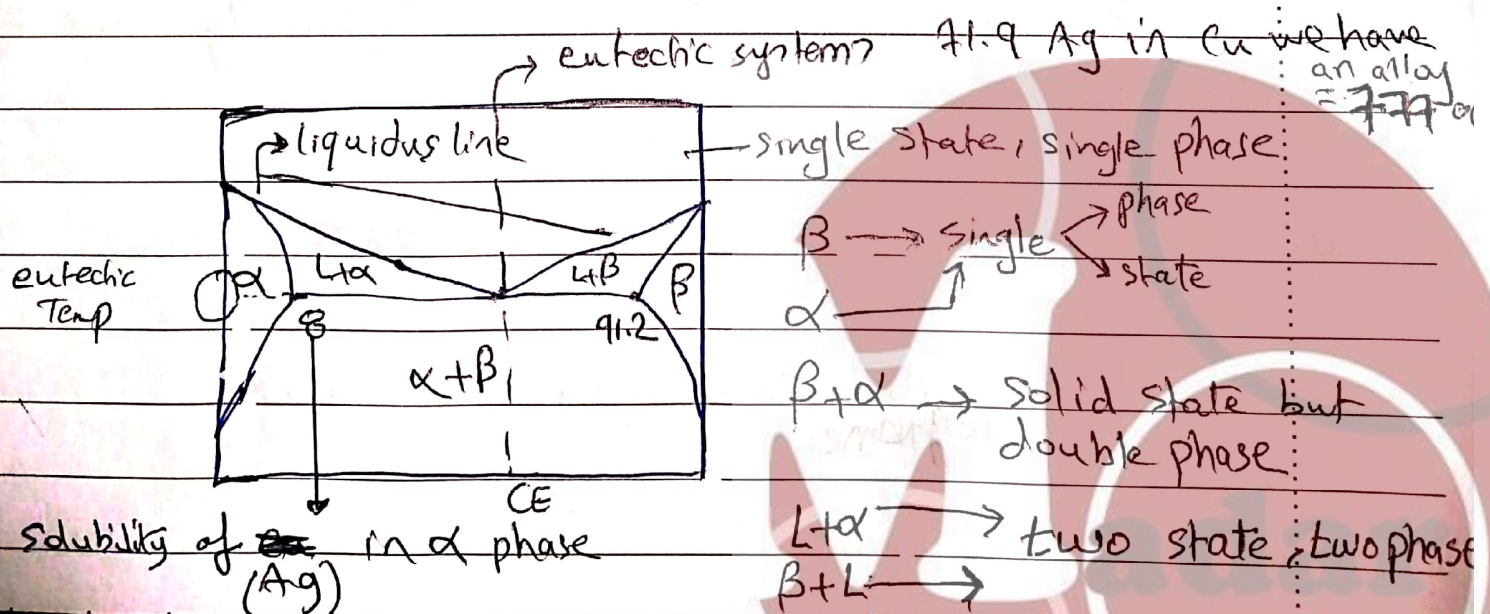
* Slide # 33: Binary Eutectic System:

* limited solubility → (Cu - Ag) → because they are not compatible



th. lines should intercept the x-axis not y-axis, but not obvious because of magnification

* Another composition at which we have sharp melting Temp.? meaning that transfer from solid → liquid or from liquid → solid when doing solidification?



max. value is 8% only if we exceed 8% → transfer to another phase

α or β

not pure solid, the difference between them is the composition

$\alpha \rightarrow$ mainly Cu with little amount of Ag

$\beta \rightarrow$ mainly Ag with little amount of Cu

* The max. solubility the Cu in Ag = $100 - 91.2 = 8.8$

we can dissolve up to 8% Ag in copper and
we can dissolve up to 8.8% Cu in Ag

* if we exceed either 8.8% Cu in Ag or
8% Ag in Cu

$\Rightarrow$ we will create new mixture
of the materials exist
($\alpha + \beta$)

* 778 °C, once we exceed this limit
the alloy of (Cu-Ag) will directly convert
to liquid

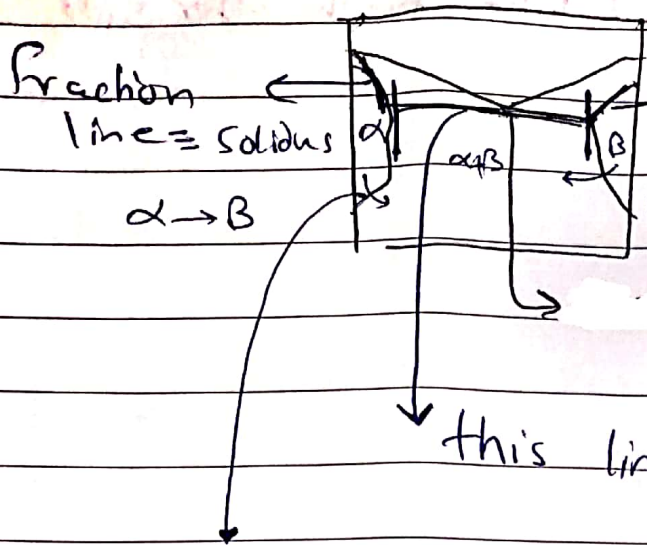
* we can't apply lever rule in pure phase

$L + \alpha$
 $L + \beta$
 $\alpha + \beta$

we can apply lever rule

ask, believe & receive

34



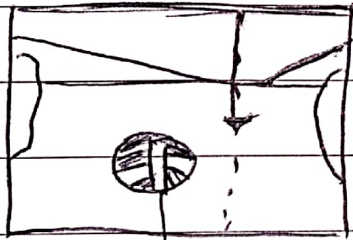
Fraction line = solidus
if separates (liquid + solid) and (solid)

we can't call it a solidus line

this line called = eutectic isotherm

the transformation from solid to another solid
= solvus line

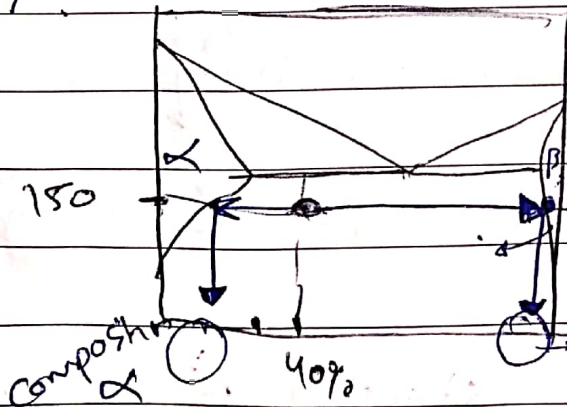
35:



once, we cross the eutectic line
we observe eutectic structure formation

eutectic structure

37:

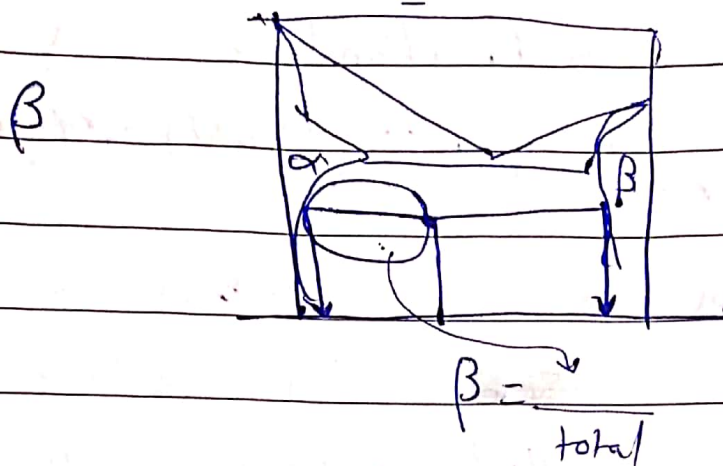


to attain the composition apply the lever rule

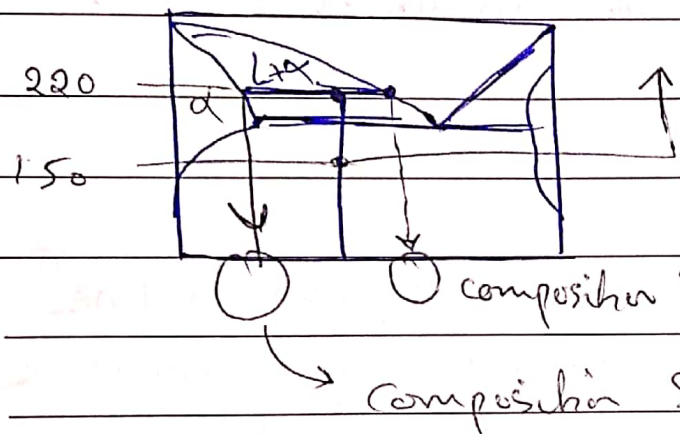
composition beta phase

one state with two phases

to determine β : we should look to the other side



38:



ratio 1
composition because of melting

Sn: 11% $\rightarrow$ 17% why weight fraction in α increases?

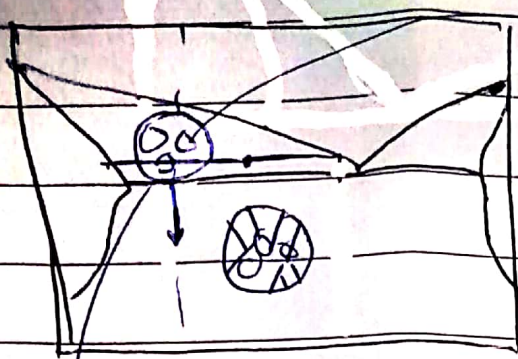
Because β melting before α
composition $\beta \downarrow \alpha \uparrow$

melting point $\beta <$ melting point α

39:

liquidus line: starting α creation
mixture of lead and Sn

#43



→ pre-d → on

→ created

before crossing eutectic line

⊗ tie line on point L
high fraction of liquid

α + L → will turn to eutectic once it crosses the eutectic line

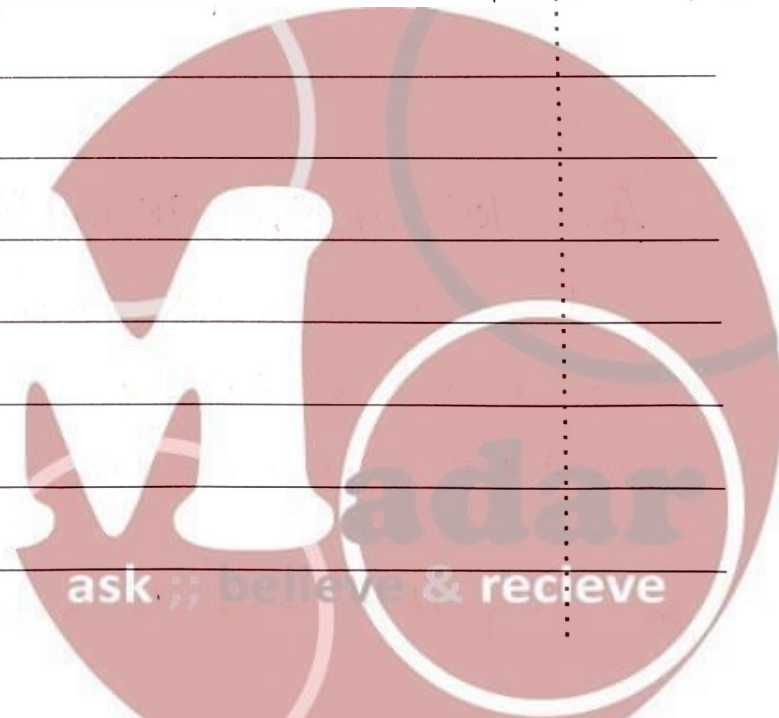
* calculate the pre-α composition?

Apply lever rule just above the eutectic line

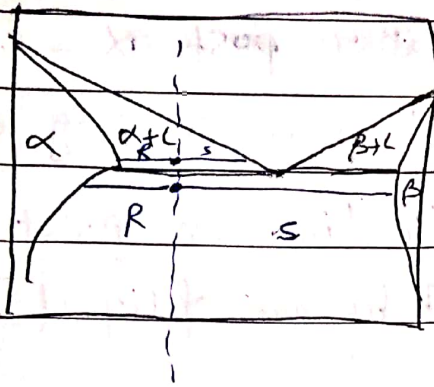
$$w\% \alpha = \frac{61.9 - 40}{61.9 - 18.3}$$

$$\% \text{ liquid} = \frac{40 - 18.3}{61.9 - 18.3}$$

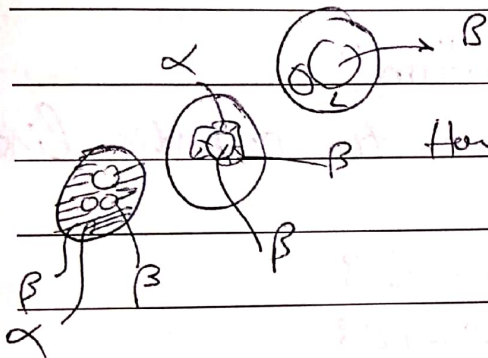
$$(\text{post-}\alpha) \rightarrow 0.73 - 0.50 = \boxed{0.23} \downarrow \text{before eutectic}$$



43



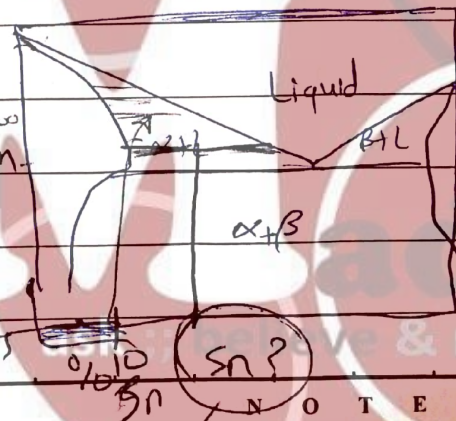
44

 β How many β ? 2 typespost β or pre- β ? which stronger?pre- β $\uparrow$ melting Temperature $\uparrow$

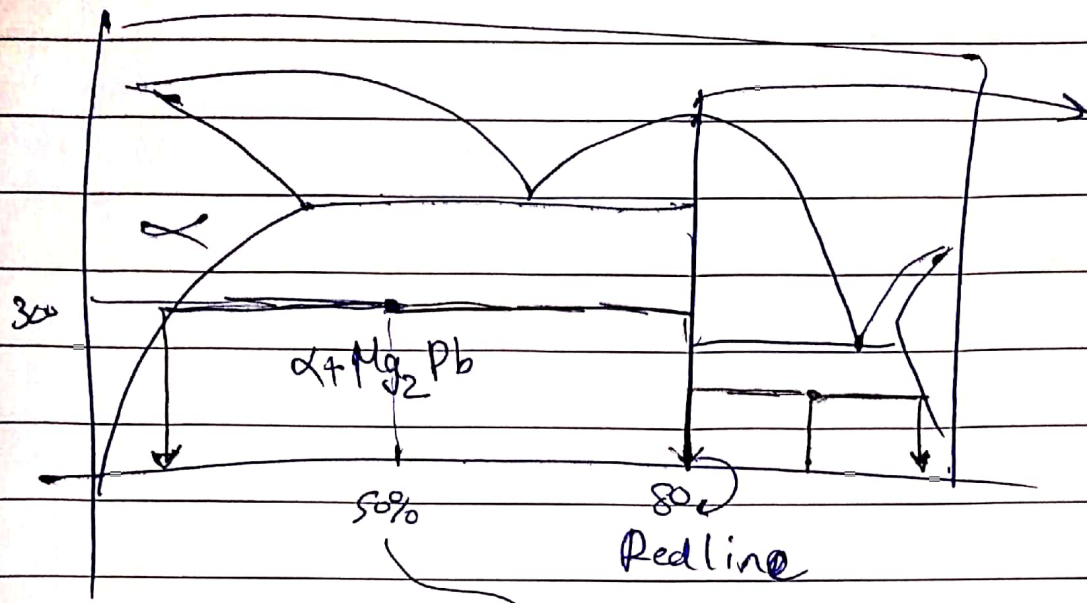
46

for 10% wt Sn, 90 wt% Pb alloy:

①. liquid-solid Area

 $\rightarrow$ trail $\rightarrow$ error to
attain left arm $\equiv$ right arm② (liquid-solid) Area $\rightarrow$
separate two equal segments(Sn-10%) $\rightarrow$ 

*48: Mg_2Pb always exists in solid state



W1: I see two different phase diagrams but merge together

↓ Reverb Rule

State → solid
weight % → extend line to solvus line and red line

NO way to create a structure contains both α & β

* Iron carbon (Fe-C) very important diagram

Iron as pure → not heavy use → ductile like gold

ductile / steel / cast

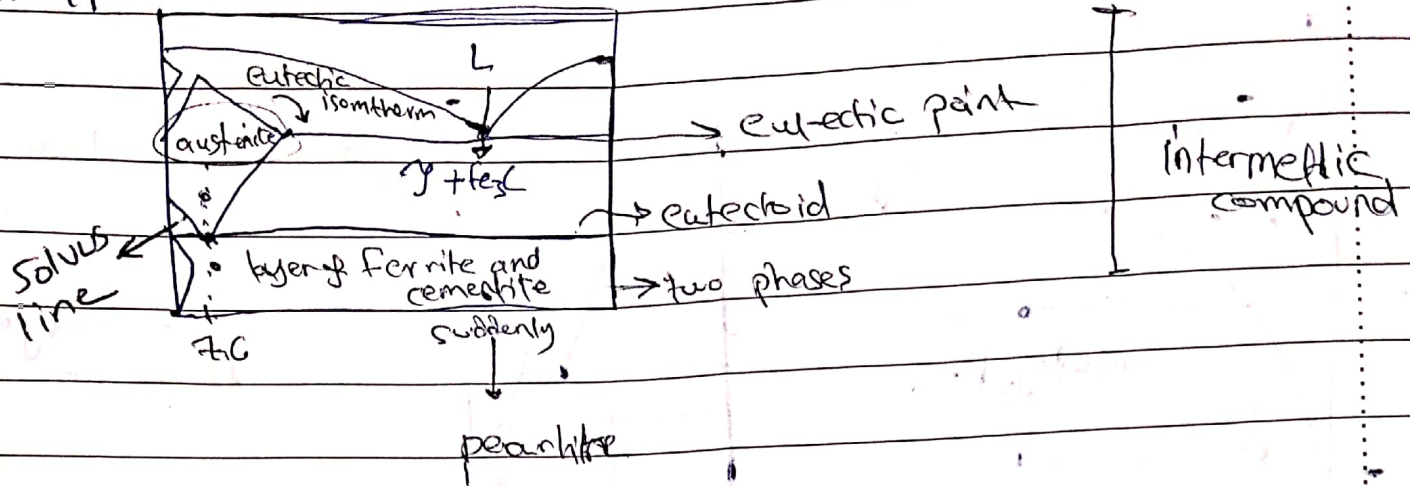
BCC → FCC → Carbon ~~sub~~ interstitial rather than substitution

* limited solubility of C in iron because of radii of ~~Fe~~ of C

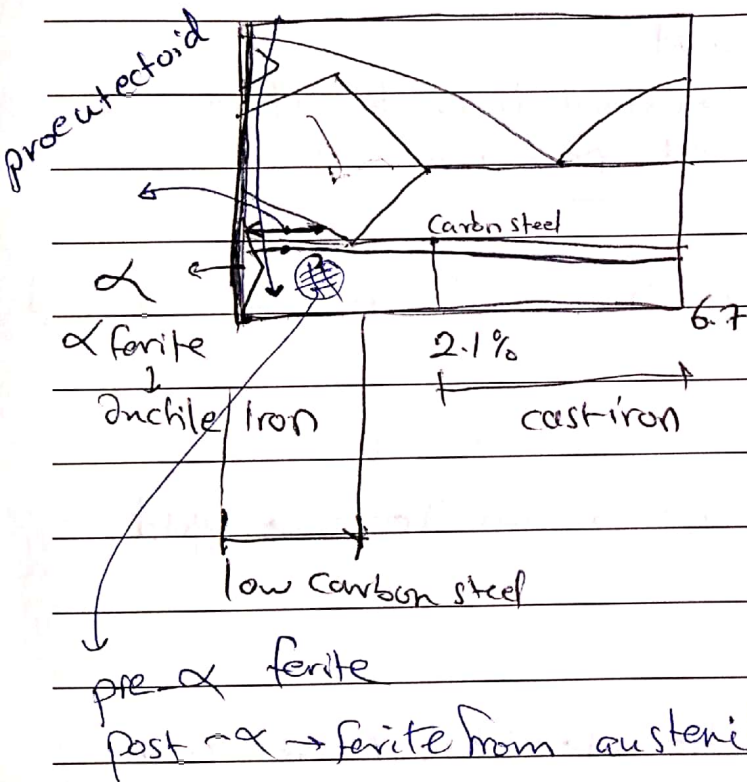
* T_{max} 6.7% = solubility

* most steel → austenite region

#49



#50:



* austenite → pearlite once you cross eutectoid line

* pearlite: ferrite and cementite

* above eutectoid line = hypoeutectoid
below

% 0.8-7.6 C ~ 0.81

* There are post-α, post-α?

apply composition above and below the eutectoid line

Max. weight fraction of α above eutectoid and below

ask :: believe & recieve

* total ferrite below - ferrite above = post ferrite

* $\text{Fe}_3\text{C} \rightarrow \frac{R}{S+R} \rightarrow \text{cementite}$

* Hypereutectoid steel: 1 α phase

2 cementite phases

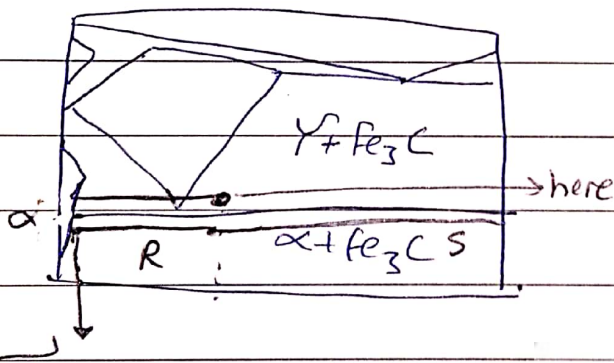
above below



Fe_3C (cementite)

austenite $\rightarrow$ after crossing eutectoid $\rightarrow$ pearlite
(ferrite cementite)

* Maximum cementite can be created just above eutectoid line



$$\% \text{ ferrite} = \frac{S}{R+S}$$

$$\% \text{ cementite} = \frac{R}{S+R}$$

* % 5.6 C in Iron for an example:

Structure obtains after eutectoid line $\rightarrow$ has 3 types of

ask : has 3 types of

NOTEBOOK cementite