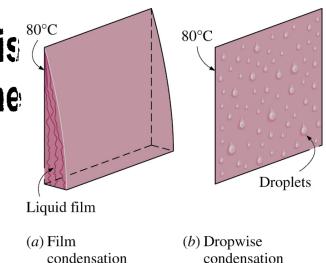
Condensation

Phase change heat transfer problems

Condensation _ Types and Mechanism

- Condensation occurs when the temperature of the vapor is reduced below its saturation temperature.
- The solid surface whose temperature is below the saturation temperature of the vapor
- Two distinct forms of condensation:
 - Filmwise condensation
 - Dropwise condensation



condensation

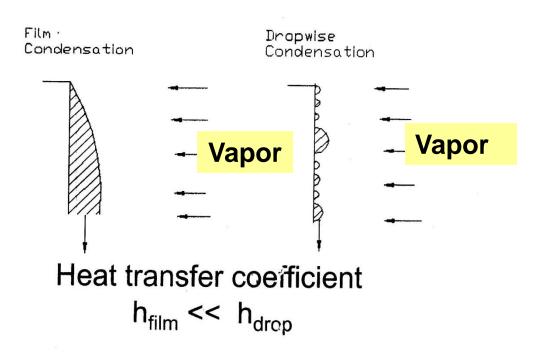
Film-wise Condensation

- When liquid formed by condensation wets the surface. It is a more common type of condensation to occur.
- In filmwise condensation liquid condensate forms a continuous film over the surface, this film flows down the surface under the action of gravity, shear force due to vapor flow, or other forces.
- The layer of liquid condensate acts as a barrier to heat flow due to its very low thermal conductivity and hence low heat transfer rate.

Dropwise condensation

- Dropwise condensation takes place when the liquid condensate does not wet the solid surface.
- The condensate does not spread, but forms separate drops.
- These drops in turn coalesce to form large drops and sweeping clean a portion of the surface, where again new droplets are generated.
- The average heat transfer coefficient for dropwise condensation is much higher than filmwise condensation.

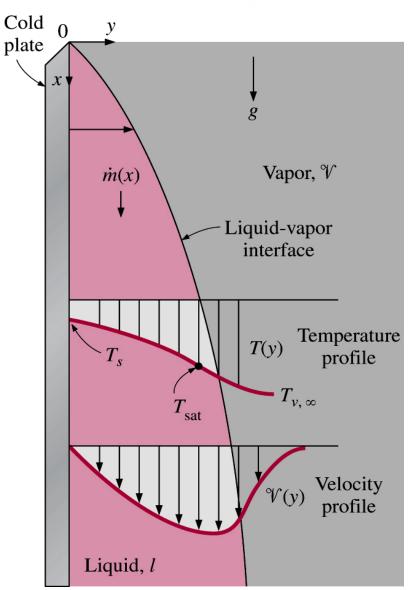
Filmwise and dropwise Condensation



Filmwise Condensation: Nusselt Analysis

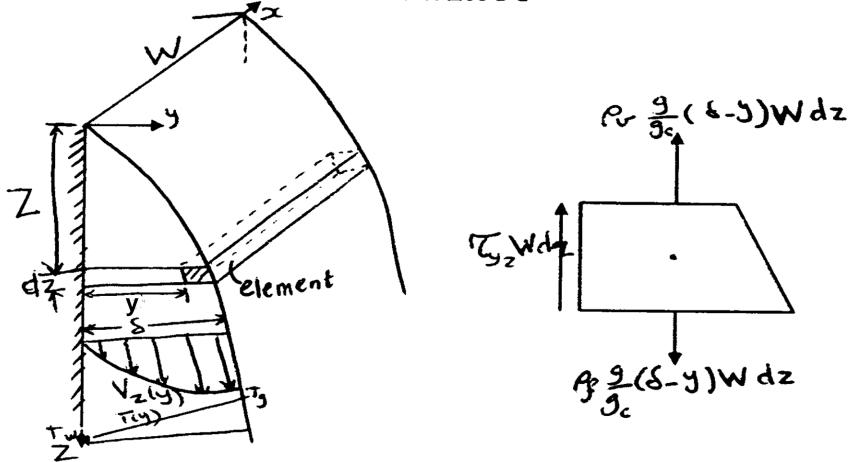
Idealizations:

- Laminar flow
- Constant properties
- Negligible subcooling of liquid
- Inertia effects negligible in momentum balance
- Vapor stationary, no drag
- Smooth liq-vap interface
- Heat transfer across film by conduction only



Laminar Film Condensation

Vertical Flat surface



Definitions

- Film thickness = δ at any z location Width of the plate = W Vol of element = $(\delta-\dot{y})$ W dz Types of forces acting on element 1. gravity force "+ve downward"
 - 2. buoyancy force "-ve"
 - 3. friction due to viscosity "-ve"

Force Balance on Element

Gravity Force = Buoyancy + Friction

$$\rho_f \frac{g}{g_c} (\delta - y) W dz = \rho_v \frac{g}{g_c} (\delta - y) W dz + \tau_{yz} (W dz)$$
 (1)

 T_g is the sat. temp. may be < ambient temp " T_{∞} " or = ambient temp " T_{∞} "

Since
$$\tau_{yz} = \mu \frac{dV_z}{dy}$$
. Substitute in eq. 1

and rearranging

$$\frac{dV_z}{dy} = \frac{g}{\mu g} (\delta - y)(\rho_f - \rho_v)$$

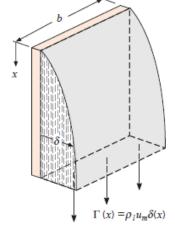
Integrating gives

$$V_z = \frac{g}{\mu g_c} (\rho_f - \rho_v) (\delta y - y^2 / 2) + C_1$$
B.C $y = 0$, $V_z = 0$: $C_1 = 0$

: velocity Profile
$$V_z = \frac{\delta^2 g}{v_f} (1 - \rho_v/\rho_f) (\frac{y}{\delta} - \frac{y^2}{2\delta^2})$$
 (2)

Note

Eq. 2 can be integrated over the cross section 'normal to the direction of the Z-directed velocity Vz' to get the mass flow rate of condensate, in



$$: \dot{m}_{s} = \iint_{S} \frac{y_{s}}{y_{s}} (1 - \frac{y_{s}}{y_{s}}) (8y - \frac{y_{s}}{y_{s}}) dy dx$$

$$= \frac{W 6^{3} 9 f_{s}}{3} (1 - \frac{g_{s}}{y_{s}}) (8y - \frac{y_{s}}{y_{s}}) dy dx$$

Heat transfer equation

The heat flow at the wall within the area WdZ is given by $9y = -k (Wdz) \frac{dT}{dy} = 0$

Assume a linear temp profile Within the film varies from Tw at the wall to Tq, the saturation temp. at the liq-

9y=- k, W dz Tw-Ts

The amount of condensate bet.

Z and z+dz is given by Added Condensate = ing | - ing | -dms. ds= ws. 829 (1-P/2) ds

Multiplying eq.4 by high gives by Wish Signature of the Wish Signature of the Wish Signature of the Multiplying eq.4 by high signature of the Multiplying eq 5 dS = Rf / (To-Tu) dz

Integrating

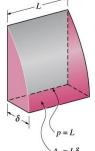
Express H. transfer in terms of Local conv. Coeff. "hz" OR h wdz (Tw-Tg)=-R, wdz Ta-Tw $h_z = k_s/8$ Substituting in eq. (5) $h_2 = k_f \left[\frac{R_g h_{fg} (1 - P_r/P_f)}{4 k_f V_f Z (T_g - T_w)} \right]^{1/4}$ (6) The Local Nusself No is $Nu_{2} = \frac{h_{2}Z}{k_{2}} = \left[\frac{f_{2}gZ^{3}h_{3}g(1-k_{1}g)}{4k_{2}\chi_{2}(T_{9}-T_{W})}\right]^{4}....(3)$

Average Coeff. over the entire surface h = Lw Shz dz dx = \frac{1}{L} \int \R_{\mathcal{g}} \left[\frac{\frac Solving, we get h = 4 kg [- 39 hgg(1-30/3)] = 4 h(8) = 0.943 [- 2 kg hgg(1-50/3)] 1/4 ...(8) Nu based on the average coeff. Nu= 15L = 4 [39hfg(1-R/R) 12]/4

Ref 1/2 (Tg-Tu)] (9)

for Laminar flow Re < 1800

$$= \frac{m_k}{r_A} \cdot \frac{48}{r_A} = \frac{4m_1}{r_A} \frac{8}{r_A} = \frac{4m_1}{r_A} \frac{$$

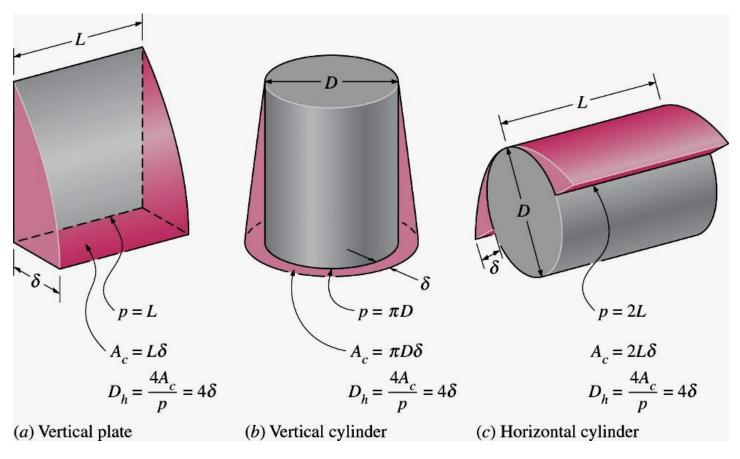


(a) Vertical plate

(b) Vertical cylinder

(c) Horizontal cylinder

The wetted perimeter p, the condensate cross-sectional area A_c, and the hydraulic diamter D_h for some geometries



Note 1

Re can be written in terms of conv. cof ·· 9: h, As (Tg-Tw) (11) As: Surface area of plate in Contact with the film of = mig heg ing = he As CTS-Tw) Substituting into eq. (10)

... Re = 4 hr As (Tg-Tw) When fe Ve

Note 2

 Experimental values of the convective coefficient can be as much as 20 % higher than those predicted by eq. (8) for laminar flow;

$$\overline{h} = 1.13 \left[\frac{\rho_f k_f^3 h_{fg} g (1 - \rho_v / \rho_f)}{\nu_f L (T_g - T_w)} \right]^{1/4}$$

Turbulent Film Condensation on a Vertical Flat surface

$$\overline{Nu}_{L} = \frac{\overline{h}_{L}(\nu_{l}^{2}/g)^{1/3}}{k_{l}} = \frac{Re_{\delta}}{8750 + 58Pr_{l}^{-0.5}(Re_{\delta}^{0.75} - 253)} \quad Re_{\delta} \ge 1800, Pr_{l} \ge 1$$
Or
$$h = 0.0077 \, R_{f} \left[\frac{9(1 - R/P_{f})}{V^{2}} \right] Re_{\delta}^{0.4}$$

$$Re_{\delta} = \frac{4 \, m_{f}}{V \, f_{f} \, Y_{f}} \quad > 1800$$

$$Q = h \, As \, (T_{g} - T_{w}) \int_{Re_{\delta}}^{Re_{\delta}} \frac{1800}{Re_{\delta}}$$

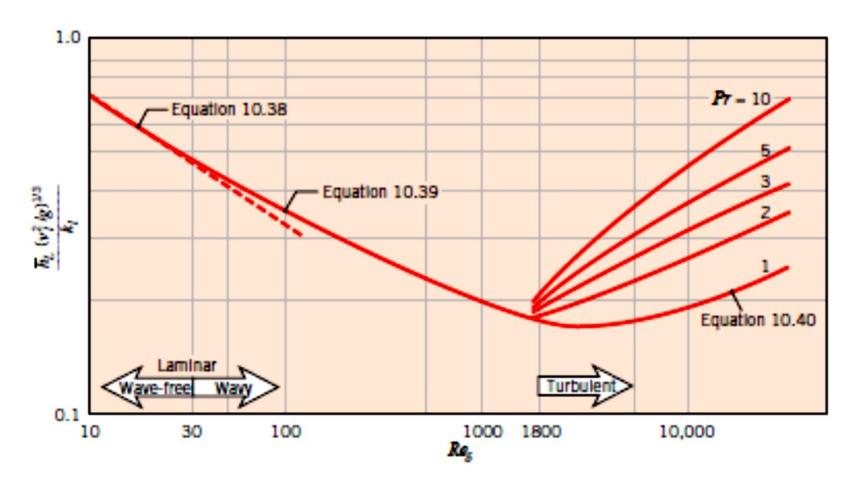
$$\frac{1}{Re_{\delta}} = \frac{4 \, m_{f}}{V \, f_{f} \, Y_{f}}$$

$$\frac{1}{Re_{\delta}} = \frac{4 \, m_{f}}{V \, f_{f} \, Y_{f}}$$

$$\frac{1}{Re_{\delta}} = \frac{1}{Re_{\delta}} \frac{1}{Re_{\delta}}$$

$$\frac{1}{Re_{\delta}} = \frac{1}{Re_{\delta}}$$

Modified Nusselt number for condensation on a vertical plate



Laminar Film Condensation on an Inclined Flat Surface

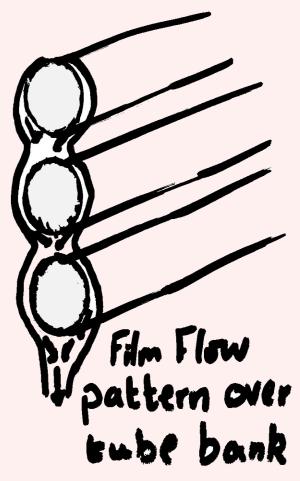
use the vertical-plate eqs; but replace 9 with 9 sin 8. where 0 is the angle of inclination of the plate with horizontal.

Film Condensation on a Vertical Tube

Notes

- 1. Tube Loading 91 = mt Condensete
 TD per unit tube 2. Plate loading, I = inf w o. Res (tube) = 41 Me
- 3. for a tube bundel, 1 = mf

Film Condensation on a horizontal tube and a horizontal tube bank



If film flow pattern for Singk tube 'horizontal'

For one tube h = 0.728 [9 \$(1-Ph) | Pkg |

for J tubes vertically above each $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi}^{3} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi} h_{\xi} 9}{7 \zeta} \right]$ $\ddot{h} = 0.728 \left[\frac{9 f_{\xi} (1 - f_{\xi}) k_{\xi} h_{\xi} 9}{7 \zeta} \right]$ In practice, it is better use index 1/6 in stead of = h.j-1/6 bundle